

## Competition

Limiting resources

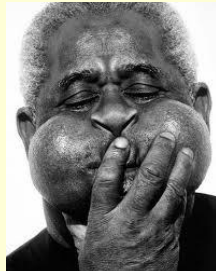


## Lecture outline

- Competition as a potentially important density-dependent factor
- **Intraspecific** competition in animals and plants
- The niche and competition
  - Gause's principle
  - Hutchinson's  $n$ -dimensional hypervolume
- Competition and math—Lotka-Volterra equations
- Evidence for **interspecific** competition in the field

## Competition

- Only occurs when ...
- Intraspecific vs. Interspecific competition
- Types of competition:
  - **Exploitative** vs.
  - **Interference**



## Potential outcomes

- Types of interspecific interactions

Type of interaction	Species 1	Species 2
Neutral	0	0
Mutualism	+	+
Commensalism	+	0
Amensalism	-	0
Parasitism	+	-
Predation	+	-
Competition	-	-

How would you test for competition?

### Effects of intraspecific competition on animals



*Prokelesia marginata*  
on *Spartina*

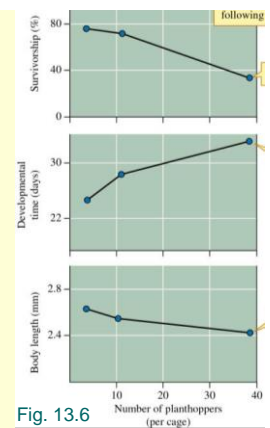


Fig. 13.6

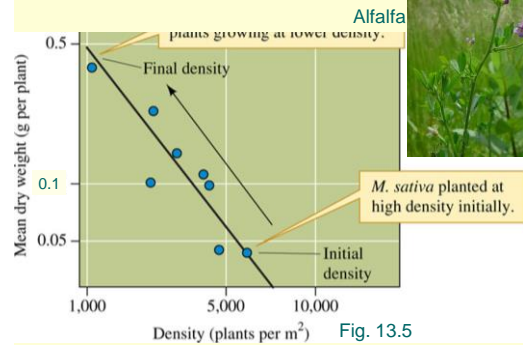
## Effects of intraspecific competition on plants



- Picture yourself as a pine tree through time...
- What happens?



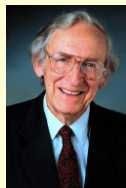
## Self-thinning



## The niche

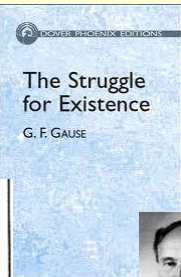
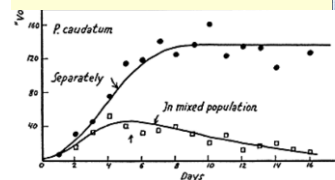


- Incorporates many ideas over the years
- *Niche consists of...*
- Some interpretations:
  - E.P. Odum (1959):
    - Address vs. profession
  - M. Leibold (1995):
    - Resource vs. impact niche

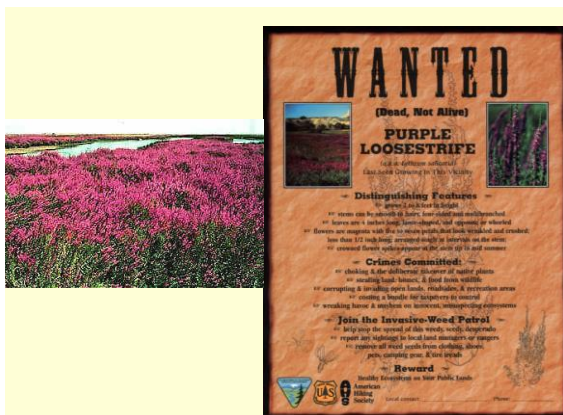


## Linking niches and competition

- Gause's or competitive exclusion principle
- Do we ever see this principle in action?

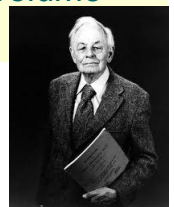
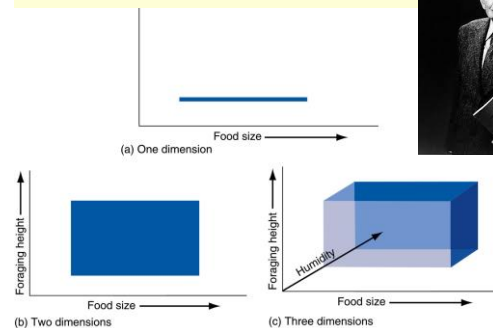


G.F. Gause

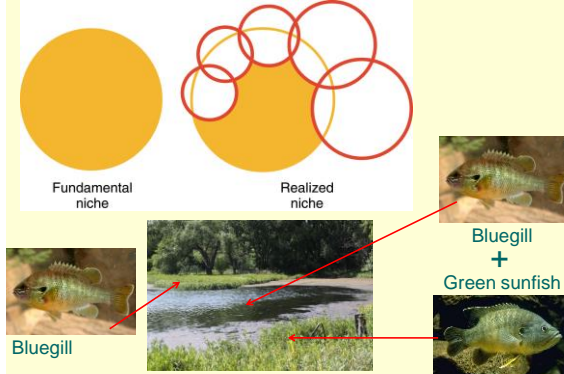


## $n$ -dimensional hypervolume

- Hutchinson (1957)



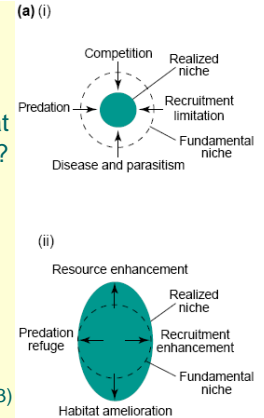
## Effects of competition on the niche



## What about the reverse?

- Are there interactions that expand the hypervolume?

Bruno et al. (2003)



## An example of the reverse

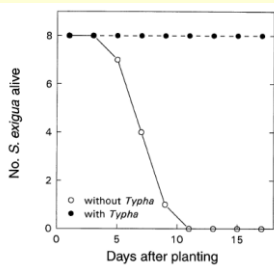


FIG. 2. Survival of cloned cuttings of *Salix exigua* when grown with and without *Typha latifolia* at substrate temperatures of 11°–12°C under greenhouse conditions.  $n_{\text{control}} = 8$  cuttings,  $n_{\text{treatment}} = 8$  cuttings.

Callaway and King (1996)



## A reminder...

- Another form:

$$\frac{dN}{dT} = rN \left( \frac{K - N}{K} \right)$$

The logistic equation gives the rate of population change as a function of  $r_{\text{max}}$ ,  $N$ , and  $K$ .

As the ratio  $\frac{N}{K}$  increases, population growth slows.

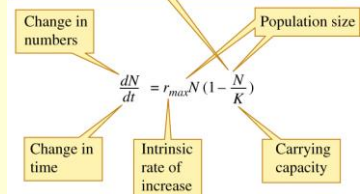


Fig. 11.13



Alfred Lotka

Vito Volterra



## Competition theory

### Lotka-Volterra model

- Species 1:  $\frac{dN_1}{dt} = r_1 N_1 ((K_1 - N_1 - \alpha N_2)/K_1)$
- Species 2:  $\frac{dN_2}{dt} = r_2 N_2 ((K_2 - N_2 - \beta N_1)/K_2)$

- If  $\alpha N_2$  or  $\beta N_1 = 0$ , then population shows ? population growth

## Lotka-Volterra competition outcomes

- Four possibilities:
  - Species 1 wins, species 2 goes extinct/excluded
  - Species 2 wins, species 1 goes extinct/excluded
  - It depends
  - Coexistence
- A reality check

## Evidence for interspecific competition in the field

### Two older meta-analyses:

- Connell (1983): 40% of studies; 50% of species
- Schoener (1984): 90% of studies; 76% of species



OIKOS 35: 131–138, Copenhagen 1980

### Diversity and the coevolution of competitors, or the ghost of competition past

Joseph H. Connell

## Competition in the (really big) field

- James Brown et al.
  - 20 ha study site
  - 24 plots
  - Each plot is 50 m x 50 m



Fig. 13.21

## Competition in the field

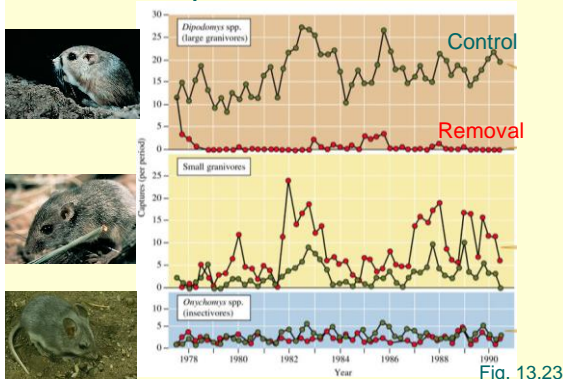


Fig. 13.23

## Any other reasons to do long-term studies of rodents?

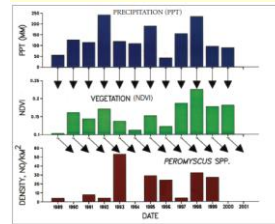


Figure 5. Sevilleta Long Term Ecological Research (LTER) data for fall-spring precipitation (September through May), spring maximum vegetation productivity (normalized difference vegetation indices [NDVI]) from AVHRR (Advanced Very High Resolution Radiometer) satellite imagery, and spring *Peromyscus* spp. densities (number per square kilometer [ $\text{km}^2$ ]) from the McKenize Flats grasslands of the Sevilleta National Wildlife Refuge, New Mexico. Note the close correspondence of pattern dynamics between the temporal increases and decreases of precipitation and NDVI values. *Peromyscus* densities also display a significant 1-year lag relationship with precipitation.

Yates et al. (2002)



Figure 3. Biologists from the University of New Mexico collect blood samples from marked, live-trapped rodents to test for hantavirus infections. Rodents are then released to monitor long-term patterns of population densities, demographics, and infection dynamics.

Michener et al. (2009)